Where does it break?

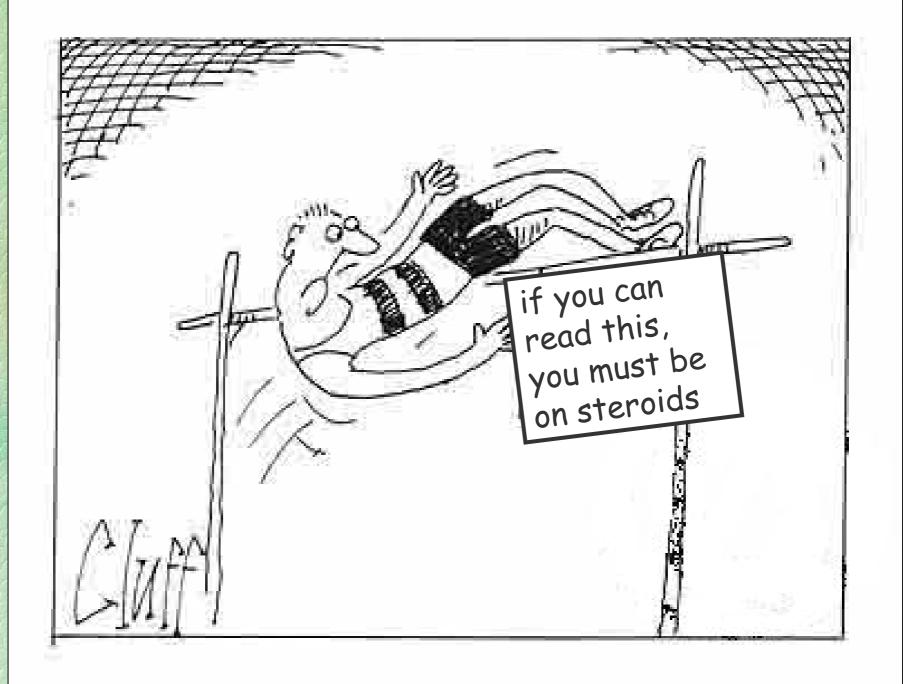
or:

Why Semantic Web research is not just "Computer Science as usual"

Frank van Harmelen AI Department Vrije Universiteit Amsterdam



vrije Universiteit



Oh no, not more "vision"...



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Don't worry, there will be lots of technical content

Grand Topics...

what are the science challenges in SW?
 Which implicit traditional assumptions break?
 Illustrated with 4 such "traditional assumptions"

and also:"Which Semantic Web" ?

Before we go on:

Which Semantic Web are we talking about?

Which Semantic Web?

Version 1: "Semantic Web as Web of Data" (TBL)



 recipe: expose databases on the web, use RDF, integrate
 meta-data from:

 expressing DB schema semantics in machine interpretable ways
 enable integration and unexpected re-use

Which Semantic Web?

Version 2: "Enrichment of the current Web"

 recipe: Annotate, classify, index
 meta-data from:

 automatically producing markup: named-entity recognition, concept extraction, tagging, etc.
 enable personalisation, search, browse,...

Which Semantic Web?

Version 1: "Semantic Web as Web of Data"

Version 2: "Enrichment of the current Web"

Different use-cases
Different techniques
Different users

Semantic Web:

Science or technology?

Semantic Web as Technology

better search & browse
personalisation
semantic linking
semantic web services

Semantic Web as Science

4 examples of "where does it break?"

In old assumptions that no longer hold,In old approaches that no longer work

4 examples of "where does it break?"

Traditional complexity measures

Who cares about

decidability?

Decidability ≈ completeness guarantee to find an answer, or tell you it doesn't exist, given enough run-time & memory

Sources of incompleteness:

- incompleteness of the input data
- insufficient run-time to wait for the answer

Completeness is unachievable in practice anyway, regardless of the completeness of the algorithm

Who cares about undecidability?

Undecidability

always guaranteed not to find an answer

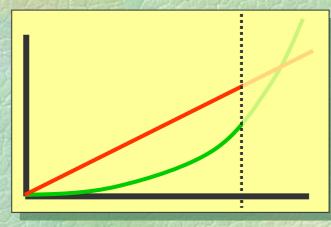
Undecidability

= not always guaranteed to find an answer

Undecidability may be harmless in many cases; in all cases that matter

Who cares about complexity? worst-case: may be exponentially rare asymptotic

ignores constants





What to do instead?

 Practical observations on RPF Schema:
 Compute full closure of O(10⁹) statements
 Practical observations on OWL:
 NEXPTIME but fine on many practical cases

Do more experimental performance profiles with realistic data

Think hard about "average case" complexity....

4 examples of "where does it break?"

Traditional complexity measures
Hard in theory, easy in practice



Example: Reasoning with Inconsistent Knowledge



This work with Zhisheng Huang & Annette ten Teije



Knowledge will be inconsistent

Because of:

mistreatment of defaults
homonyms
migration from another formalism
integration of multiple sources

New formal notions are needed

New notions:

- Accepted:
- Rejected: $T \not\approx \phi$ and $T \not\approx \neg \phi$

 $T \approx \phi$ and $T \approx \neg \phi$

- Overdetermined: $T \models \phi$ and $T \models \neg \phi$
- Undetermined: $T \not\approx \phi$ and $T \not\approx \neg \phi$

Soundness: (only classically justified results) $T \models \phi \Rightarrow (\exists T' \subseteq T)(T' \not\models \bot \text{ and } T' \models \phi)$

Basic Idea

1. Start from the query

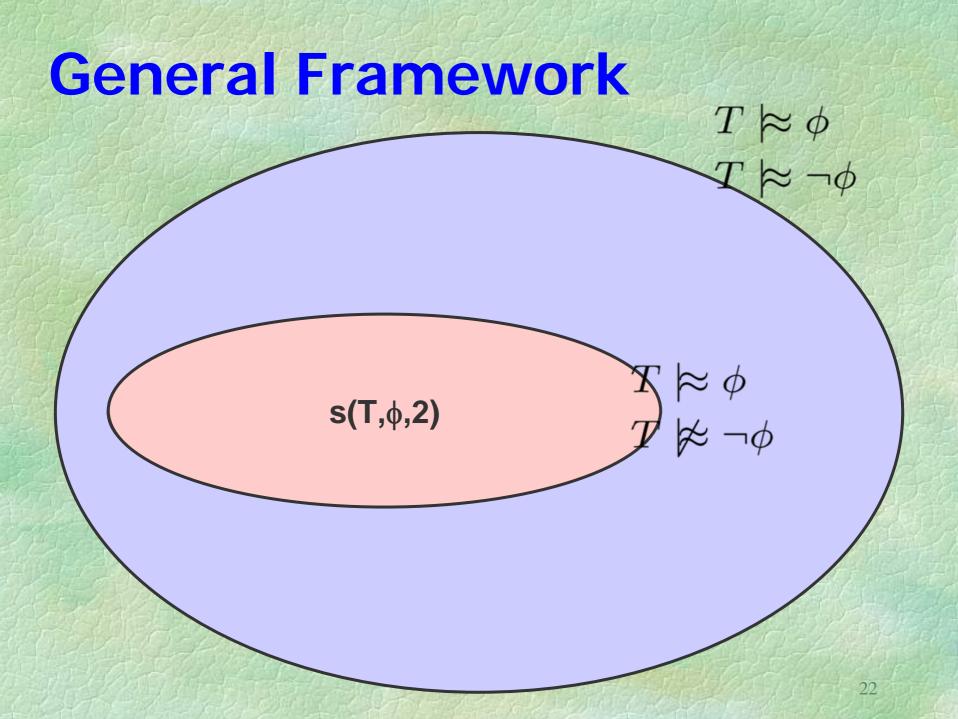
or

2. Incrementally select larger parts of the ontology that are "relevant" to the query, until:

Selection function

you have an ontology subpart that is small enough to be consistent and large enough to answer the query

ii. the selected subpart is already inconsistent
 before it can answer the query



More precisely:

- Use selection function $s(T,\phi,k)$, with $s(T,\phi,k) \subseteq s(T,\phi,k+1)$
- 1. Start with k=0: $s(T,\phi,0) \mid \approx \phi \text{ or } s(T,\phi,0) \mid \approx \neg \phi$?
- 2. Increase k, until $s(T,\phi,k) \mid \approx \phi \text{ or } s(T,\phi,k) \mid \approx \neg \phi$
- 3. Abort when
 - undetermined at maximal k
 - overdetermined at some k

Nice general framework, but...

- which selection function $s(T,\phi,k)$ to use?
- Simple option: syntactic distance
 - put all formulae in clausal form: $a_1 \lor a_2 \lor ... \lor a_n$
 - distance k=1 if some clausal letters overlap $a_1 \lor X \lor ... \lor a_n$, $b_1 \lor ... X \lor b_n$
 - distance k if chain of k overlapping clauses are needed

$$\begin{array}{c} a_1 \lor X \lor \dots X_1 \lor a_n \\ b_1 \lor X_1 \lor \dots X_2 \lor b_n, \\ \dots \\ c_1 \lor X_k \lor \dots X \lor c_n \end{array}$$

Evaluation

Ontologies: Transport: Communication: Madcow:

450 concepts 200 concepts 55 concepts

Selection functions:
symbol-relevance = axioms overlap by ≥1 symbol
concept-relevance ≈ axioms overlap by ≥1 concept

Query a random set of subsumption queries: Concept1 \subseteq Concept2 ?

Evaluation: Lessons

ontology	relevance	queries	Intend.	Caut.	Reckl.	counter	Intend.
						intuit.	%
MadCow+	symbol	2594	2538	0	54	2	98%
	concept	2594	2402	192	0	0	93%
Commun.	symbol	6576	6396	8	164	8	97%
	concept	6576	6330	246	0	0	96%
Transport	symbol	6258	5504	0	752	2	88%
	concept	6258	6228	30	0	0	99%

this makes concept-relevance a high quality sound approximation (> 90% recall, 100% precision)

Works surprisingly well

On our benchmarks, allmost all answers are "intuitive" Not well understood why Theory doesn't predict that this is easy paraconsistent logic, relevance logic multi-valued logic Hypothesis: due to "local structure of knowledge"?

4 examples of "where does it break?"

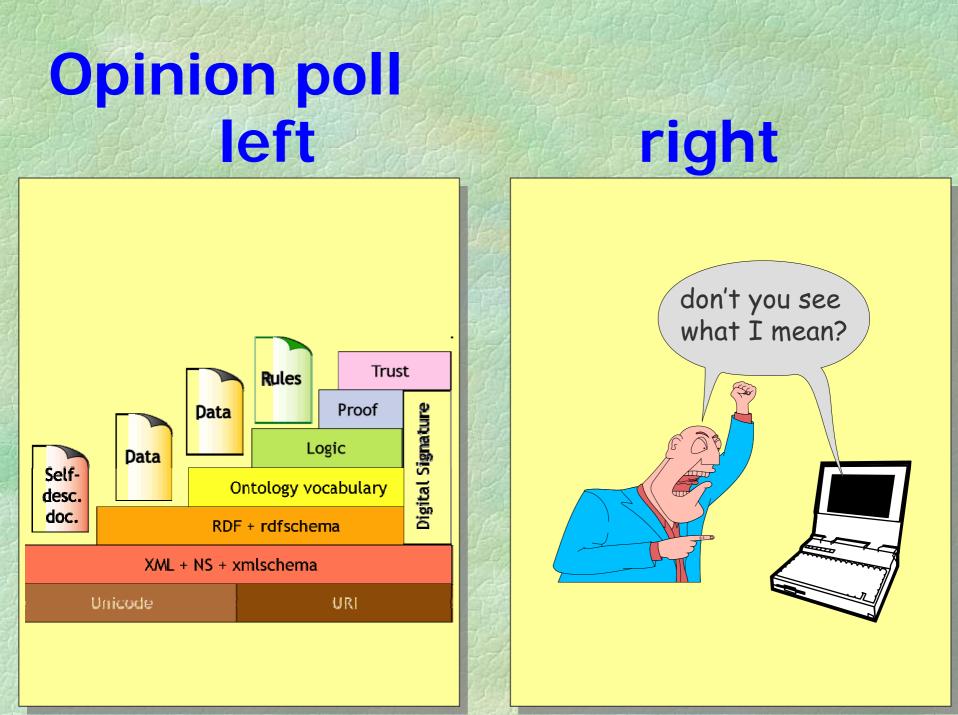
Traditional complexity measures
Hard in theory, easy in practice
context-specific nature of knowledge

Opinion poll left

meaning of a sentence is only determined by the sentence itself, and **not** influenced by the surrounding sentences, and **not** by the situation in which the sentence is used

right

meaning of sentence is not only determined by the sentence itself, but is **also** influenced by by the surrounding sentences, and also by the situation in which the sentence is used



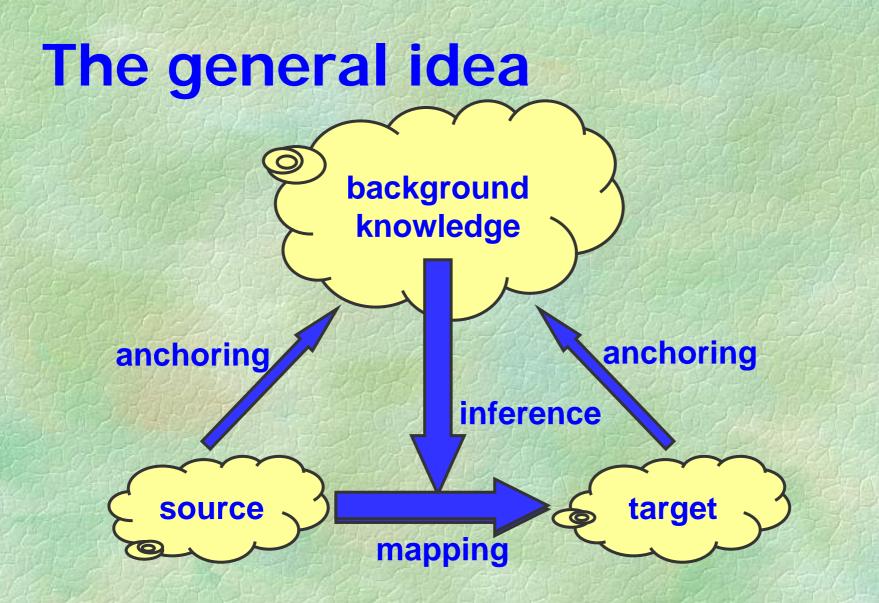
Example: Ontology mapping with community support



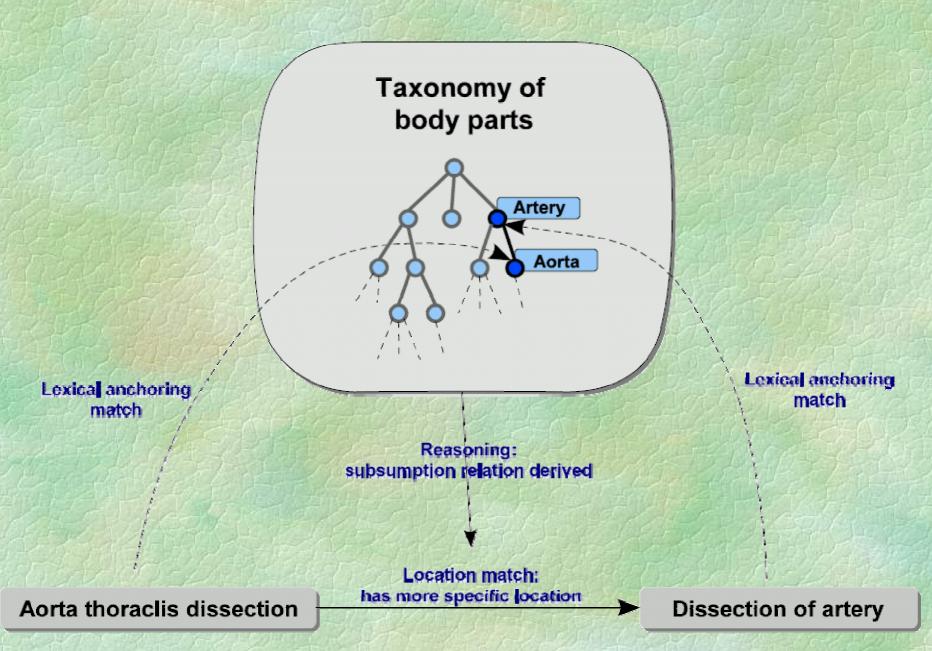


This work with Zharko Aleksovski & Michel Klein

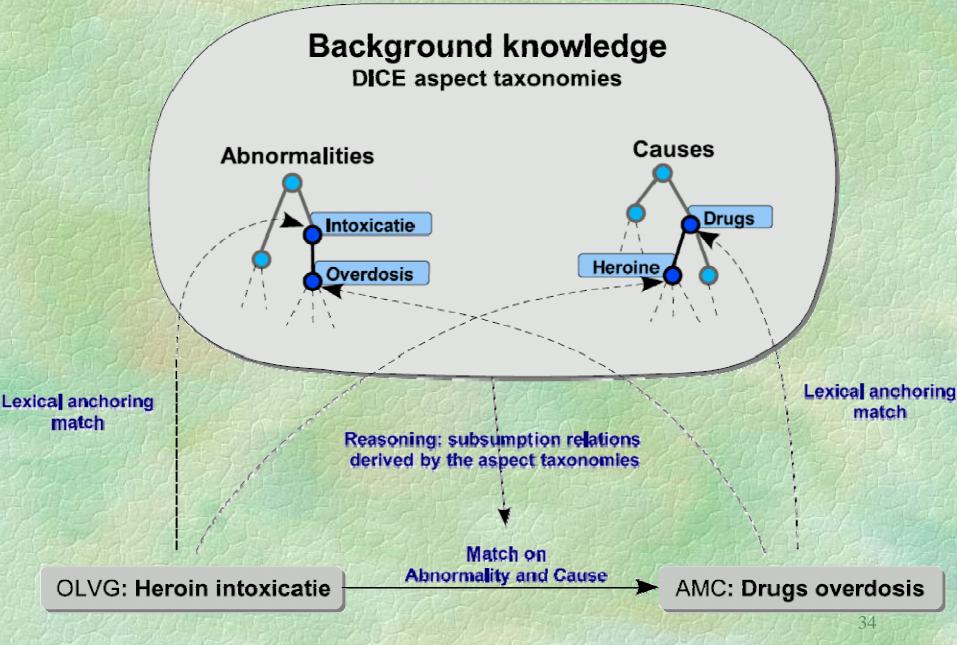




Example 1



Example 2



Experimental results

- Source & target = flat lists of ±1400 ICU terms each
- Anchoring = substring + simple germanic morphology
 Background = DICE (2300 concepts in DL)

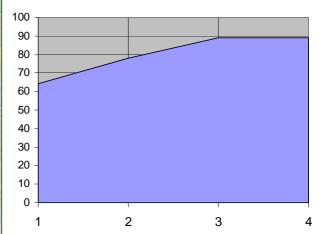
	Semantic	Own Lexical	FOAM	Falcon-AO
	matching	matching		
agreement on single best match	65 (=32%)	43	35	22
agreement among top 5 matches	8 (= 4%)			
agreement on no match possible	43 (=22%)	43	26	32
improvement over expert match	35 (18%)	6	6	6
TOTAL POSITIVE:	151 =76%)	92 (=46%)	67 =33%)	60 (=30%
wrong match found		5	47	/8
incorrectly found no match	49(=24%)	103	86	62
TOTAL NEGATIVE:	49(=24%)	108 (=54%)	133 (=67%)	140 (=70%)

olvg

aw

New results:

- more background knowledge makes mappings better
 - DICE (2300 concepts)
 - MeSH (22000 concepts)
 - ICD-10 (11000 concepts)
- Monotonic improvement of quality
- Linear increase of cost





The OLVG & AMC terms get their meaning from the context in which they are being used.
Different background knowledge would have resulted in different mappings
Their semantics is not context-free

See also: S-MATCH by Trento

4 examples of "where does it break?"

Traditional complexity measures
 Hard in theory, easy in practice
 context-specific nature of knowledge
 logic vs. statistics

Logic vs. statistics

DB schema's & integration is only logic, no statistics



AI is both logic and statistics, but completely disjoint

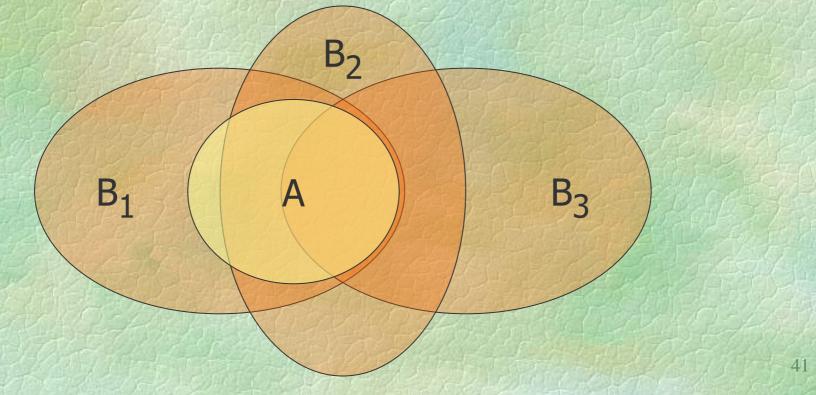
Find combinations of the two worlds?

- Statistics in the logic?
- Statistics to control the logic?
- Statistics to define the semantics of the logic?

Statistics in the logic? Fuzzy DL ■(TalksByFrank InterestingTalks) > 0.7 \blacksquare (Turkey: EuropeanCountry) ≤ 0.2 ■ youngPerson = Person $\sqcap \exists$ age.Young Young(x) = $\left(\right)$ ■ veryYoungPerson = Person $\Box \exists age.very(Young)$ 0 30vr **Umberto Straccia**

Statistics to control the logic?

■ query: $A \sqsubseteq B$? ■ $B = B_1 \sqcap B_2 \sqcap B_3 \rightarrow A \sqsubseteq B_1$, $A \sqsubseteq B_2$, $A \sqsubseteq B_3$?



Statistics to control the logic?

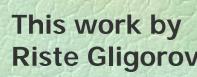
Use "Google distance" to decide which ones are reasonable to focus on
 Google distance

 ≈ symmetric conditional probability of co-occurrence
 ≈ estimate of semantic distance
 ≈ estimate of "contribution" to A ⊑ B₁ □ B₂ □ B₃

B

Bz

42





Statistics to define semantics? Many peers have many mappings on many terms to many other peers Mapping is good if results of "whispering game" are truthful Punish mappings that contribute to bad whispering results Network will converge to set of good mappings (or at least: consistent) This work by



Karl Aberer

Statistics to define semantics?

- Meaning of terms = relations to other terms
- Determined by stochastic process
- Meaning ≈ stable state of self-organising system
- statistics = getting a system to a meaning-defining stable state
 logic = description of such a stable state
- Note: meaning is still binary, classical truth-value
- Note: same system may have multiple stable states...



4 examples of "where does it break?"

Todditionsel proprierity theasures ong everald, Completeness, decidability, complexity
 Complexity
 Completeness, decidability, complexity
 Complexit Q/A over inconsistent ontologies is easy, but why? Output Description Context
Output Description meaning determined by background knowledge 4 Logic versus statistics statistics in the logic statistics to control the logic statistics to determine semantics

Final comments

These 4 "broken assumptions/old methods" were just examples. There are many more. (e.g. Hayes, Halpin on identity, equality and reference)

Notice that they are interlinked, e.g
 hard theory/easy practice & O complexity
 meaning in context & O logic/statistics

Working on these will not be SemWeb work per se, but

- they will be inspired by SemWeb challenges
- they will help the SemWeb effort (either V1 or V2)

Have fun with the puzzles!